# HEURISTIC ALGORITHMS CONSTRUCTION TO COMPENSATE REACTIVE POWER DISTRIBUTION NETWORK FOR THE RAY

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### ABSTRACT

About a Heuristic search methods for reactive power compensation for radial distribution networks, which receive cost savings is maximized. The method is a technique that is done from the technical concept of the present and Heuristic for better results. The method was developed and applied to three-phase system. The results of this method are compared with previous methods to show its advantages. New algorithm is implemented through technical change to obtain the position, the optimal capacitor size.

**Keywords:** heuristic algorithm, reactive power compensation, cost savings is maximized, the optimal capacitor size, the optimal capacitor position

### 1. Introduction

The installation of capacitors on distribution level is essential for controlling power flow, improve system stability, adjustable power factor, power management and minimum pressure loss in system. Therefore, the need to find solutions to locate and install capacitors capacity aims minimum losses (power loss, power) for maximum savings function. The solution to determine the position can be classified as follows: Analysis, Programming of, Search and basic artificial intelligence (AI-based). Artificial intelligence algorithms including genetic algorithms, expert systems, neural networks and fuzzy logic [9], [10], [11], [12], [13], [14].

Heuristic techniques [6], [5] that the rules were developed through intuition,

experience and evaluation. Heuristic algorithms for fast and relevant results, this leads to reduce the search space and can lead to a near-optimal solutions with high reliability [4].

Heuristic algorithms are applied to reduce the loss of distribution system [6], [8]. In the document [6] have given methods to evaluate the change in loss in net restructuring. Document [8] also provides methods of reconstruction algorithms heuristic system overload wired route.

Materials [2] introduced heuristic algorithm to reduce the loss by the method of identifying the download button. The button is determined by identifying the first branch in the system on which the loss caused the greatest resistance. First button is the button to download the most influential causes of losses in that branch (this button is selected). The capacity of a capacitor bank is worth making the loss of the system is minimal. The above process will be implemented for the next button until the loss reduction achieved within the range allowed. This method does not guarantee cost function is minimum or maximum saving function.

Document [3] introduced a method was developed from the literature [2] to overcome the shortcomings in reducing losses and costs. However, this method is not a desired result.

Document [5] provides a method to reduce losses to a minimum by installing a capacitor bank at the optimum position. Disadvantages of this approach are to ignore cost-benefit analysis that this will affect the cost of capacitors and power savings.

The work in this paper is to develop the technology to the previous heuristic. Introducing the Heuristic has been made, then introduce heuristic algorithms that give better results, this technique can be viewed as the sum of the previous Heuristic for the installation of capacitor banks in distribution networks the beam. A heuristic algorithm is introduced through transformation techniques to locate, the optimal capacity of the capacitor.

## 2. To build the formula

2.1. Survey the distribution of reactive power

Density function of reactive power normalization  $f(x) = \frac{Q(x)}{O_x}$ 

Among them:

 $\mathbf{Q}_{\boldsymbol{\Sigma}}\!\!:$  total reactive power.

x: distance is measured along the most copper.

Q(x): reactive power in x.

The function of reactive power normalization  $F(x) = \sum f(x)$ 

2.2. Construction of reduced power loss

From the graph distribution of reactive power, we assume that the function of reactive power is a continuous function as shown in Figure 10.

Power loss caused by the reactive component should be calculated using the formula:

$$\mathbf{P}_{\mathbf{Q}} = \frac{1}{\mathbf{U}^2} \cdot \int_{0}^{1} \mathbf{\Phi}_{\Sigma} \cdot \mathbf{F}(\mathbf{x}) \mathbf{r} \cdot \mathbf{d}\mathbf{x}$$

Among them: r - resistance of copper wire the entire route.

Power loss reduction by the reactive component causes

$$\Delta \mathbf{P}_{\mathbf{Q}} = \mathbf{P}_{\mathbf{Q}} - \mathbf{P}_{\mathbf{Q}b}$$

$$\Delta \mathbf{P}_{\mathbf{Q}b} = \frac{1}{\mathbf{U}^2} \begin{pmatrix} \int_{0}^{1} \mathbf{Q}_{\Sigma} \cdot \mathbf{F}(\mathbf{x}) \mathbf{\mathcal{T}} \cdot \mathbf{d}\mathbf{x} - \int_{0}^{x_{i}} \left( [\mathbf{Q}_{\Sigma} \cdot \mathbf{F}(\mathbf{x})] - \sum_{j=1}^{k} \mathbf{Q}_{ij} \right)^{2} \cdot \mathbf{r} \cdot \mathbf{d}\mathbf{x} \\ - \sum_{i=1}^{k-1} \int_{x_{i}}^{x_{i+1}} \left( [\mathbf{Q}_{\Sigma} \cdot \mathbf{F}(\mathbf{x})] - \sum_{j=i+1}^{k} \mathbf{Q}_{ij} \right)^{2} \cdot \mathbf{r} \cdot \mathbf{d}\mathbf{x} - \int_{x_{i}}^{1} \mathbf{Q}_{\Sigma} \cdot \mathbf{F}(\mathbf{x}) \mathbf{\mathcal{T}} \cdot \mathbf{d}\mathbf{x} \end{pmatrix}$$

2.3. Construction of reduced energy loss

We have:

$$\mathbf{A}_{\mathrm{ht}}^{\mathrm{Q}} = \int_{0}^{\tau} \mathbf{P}_{\mathrm{Q}}(t) \mathrm{d}t$$

Among them:

 $PQ\ (t)$  is the power loss caused by the reactive components change over time.

$$\tau$$
 is the time average maximum capacity;  $\tau = \left(0,124 + \frac{T_{max}}{10^4}\right)^2.8760$ 

So reducing the energy losses of the system when the reactive power varies with a cycle time of the survey are:

$$\Delta \mathbf{A}_{\mathrm{Qb}} = \int_{0}^{\tau} \Delta \mathbf{P}_{\mathrm{Qb}}(t) \mathrm{d}t$$

Change the value  $\Delta \mathbf{P}_{q_b}$  above we obtain:

$$\Delta \mathbf{A}_{\mathbf{Qb}} = \frac{1}{\mathbf{U}^2} \cdot \left\{ \int_{0}^{t} \left( \int_{0}^{t} \mathbf{Q}_{\Sigma}(\mathbf{t}) \cdot \mathbf{F}(\mathbf{x}) \mathbf{T} \cdot \mathbf{dx} - \int_{0}^{x_i} \left( [\mathbf{Q}_{\Sigma}(\mathbf{t}) \cdot \mathbf{F}(\mathbf{x})] - \sum_{j=1}^{k} \mathbf{Q}_{bj} \right)^2 \cdot \mathbf{r} \cdot \mathbf{dx} - \left( -\sum_{i=1}^{k-1} \int_{x_i}^{x_{i+1}} \left( [\mathbf{Q}_{\Sigma}(\mathbf{t}) \cdot \mathbf{F}(\mathbf{x})] - \sum_{j=i+1}^{k} \mathbf{Q}_{bj} \right)^2 \cdot \mathbf{r} \cdot \mathbf{dx} - \int_{x_k}^{t} \mathbf{Q}_{\Sigma}(\mathbf{t}) \cdot \mathbf{F}(\mathbf{x}) \mathbf{T} \cdot \mathbf{dx} \right) d\mathbf{t} \right\}$$

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#### **3.** Maximum saving function $\Delta S$

Locate the capacitor to set the function  $\Delta S$  peak.

$$\Delta \mathbf{S} = \mathbf{K}_{P} \cdot \Delta \mathbf{P} + \mathbf{K}_{A} \cdot \Delta \mathbf{A} - \mathbf{K}_{C} \cdot \sum_{i=1}^{n} \mathbf{Q}_{ii}$$

3.1. Locate the capacitor set

We do:

$$\frac{\partial \mathbf{S}}{\partial \mathbf{x}_{i}} = \mathbf{K}_{P} \cdot \frac{\partial \Delta \mathbf{P}}{\partial \mathbf{x}_{i}} + \mathbf{K}_{A} \cdot \frac{\partial \Delta \mathbf{A}}{\partial \mathbf{x}_{i}} = \mathbf{0}$$

• At the component :  $\mathbf{K}_{\mathbf{p}} \cdot \frac{\partial \Delta \mathbf{P}}{\partial \mathbf{x}_{i}}$ 

We are:

$$\frac{\partial \Delta \mathbf{P}_{\mathbf{Q}_{b}}}{\partial \mathbf{x}_{i}} = \frac{1}{\mathbf{U}^{2}} \cdot \left( 2.\mathbf{r}.\mathbf{Q}_{\Sigma}.\mathbf{Q}_{u} \cdot \left( \mathbf{F}(\mathbf{x}_{i}) - \sum_{j=i+1}^{k} \frac{\mathbf{Q}_{ij}}{\mathbf{Q}_{\Sigma}} \right) - \mathbf{r}.(\mathbf{Q}_{u})^{2} \right)$$
  
with  $\sum_{j=i+1}^{k} \frac{\mathbf{Q}_{ij}}{\mathbf{Q}_{\Sigma}} = \mathbf{0}$  khi  $\mathbf{j} > \mathbf{k}$ 

• At the component : 
$$\mathbf{K}_{A} \cdot \frac{\partial \Delta \mathbf{A}}{\partial \mathbf{x}_{i}}$$

We are:

$$\frac{\partial \Delta \mathbf{A}_{\mathbf{Qb}}}{\partial \mathbf{x}_{i}} = \frac{\tau}{\mathbf{U}^{2}} \cdot \left[ 2.\mathbf{r}.\mathbf{Q}_{\Sigma}.\mathbf{Q}_{\mathbf{h}} \left( \mathbf{K}_{\mathbf{f}}.\mathbf{F}(\mathbf{x}_{i}) - \sum_{j=i+1}^{k} \frac{\mathbf{Q}_{ij}}{\mathbf{Q}_{\Sigma}} \right) - \mathbf{r}.(\mathbf{Q}_{\mathbf{h}})^{2} \right]$$
  
with  $\sum_{j=i+1}^{k} \frac{\mathbf{Q}_{bj}}{\mathbf{Q}_{\Sigma}} = \mathbf{0}$  khi  $\mathbf{j} > \mathbf{k}$ 

Change the value  $\partial \Delta P$ ,  $\partial \Delta A$  on the expression:

$$\frac{\partial \mathbf{S}}{\partial \mathbf{x}_{i}} = \mathbf{K}_{p} \cdot \frac{\partial \Delta \mathbf{P}}{\partial \mathbf{x}_{i}} + \mathbf{K}_{A} \cdot \frac{\partial \Delta \mathbf{A}}{\partial \mathbf{x}_{i}} = \mathbf{0}$$

$$\mathbf{F}(\mathbf{x}_{i}) = \frac{\mathbf{K}_{p} + \mathbf{K}_{A} \cdot \tau}{\mathbf{K}_{p} + \mathbf{K}_{A} \cdot \tau \cdot \mathbf{K}_{r}} \cdot \left(\frac{\mathbf{Q}_{bi}}{2\mathbf{Q}_{\Sigma}} + \sum_{j=i+1}^{k} \frac{\mathbf{Q}_{bj}}{\mathbf{Q}_{\Sigma}}\right)$$
With  $\sum_{j=i+1}^{k} \frac{\mathbf{Q}_{bj}}{\mathbf{Q}_{\Sigma}} = \mathbf{0} \, \mathbf{khi} \, \mathbf{j} > \mathbf{k} ;$ 

$$\delta = \frac{\mathbf{K}_{p} + \mathbf{K}_{A} \cdot \tau}{\mathbf{K}_{p} + \mathbf{K}_{A} \cdot \tau \cdot \mathbf{K}_{r}}$$

According to the above expression, we define the position of the capacitor bank to put maximum savings function  $\Delta S$ .

3.2. Determining the value of storage capacitor

We do:  

$$\frac{\partial \mathbf{S}}{\partial \mathbf{Q}_{bi}} = \mathbf{K}_{P} \cdot \frac{\partial \Delta \mathbf{P}}{\partial \mathbf{Q}_{bi}} + \mathbf{K}_{A} \cdot \frac{\partial \Delta \mathbf{A}}{\partial \mathbf{Q}_{bi}} - \mathbf{K}_{C} = \mathbf{0}$$
• At the component :  $\mathbf{K}_{P} \cdot \frac{\partial \Delta \mathbf{P}}{\partial \mathbf{Q}_{bi}}$   
We are:  

$$\frac{\partial \Delta \mathbf{P}_{00}}{\partial \mathbf{Q}_{bi}} = \frac{1}{U^{2}} \left( 2.\mathbf{r} \int_{0}^{\mathbf{x}_{i}} \mathbf{Q}_{\Sigma} \cdot \mathbf{F}(\mathbf{x}) \cdot \mathbf{dx} - 2.\mathbf{r} \cdot \mathbf{x}_{i} \cdot \sum_{j=1}^{n} \mathbf{Q}_{bj} - 2.\mathbf{r} \cdot \sum_{k=1}^{i-1} \mathbf{Q}_{bk} \cdot \mathbf{x}_{k} \right)$$
with  $\sum_{k=1}^{0} \mathbf{Q}_{bk} \cdot \mathbf{x}_{k} = \mathbf{0}$ 

• At the component :  $\mathbf{K}_{A} \cdot \frac{\partial \Delta \mathbf{A}}{\partial \mathbf{x}_{i}}$ 

We are:  $\frac{\partial \Delta A_{_{Q_b}}}{\partial Q_{_{H_i}}} = \tau \cdot \frac{1}{U^2} \left[ 2.r.K_r \cdot \int_0^x Q_{_{\Sigma}} \cdot F(x) \cdot dx - 2.r.x_r \cdot \sum_{j=i}^n Q_{_{H_j}} - 2.r.\sum_{k=1}^{i-1} Q_{_{H_k}} \cdot x_k \right]$ with  $\sum_{k=1}^n Q_{_{H_k}} \cdot x_k = 0$ 

Change the value  $\partial \Delta P$ ,  $\partial \Delta A$  on the expression:

$$\frac{\partial \mathbf{S}}{\partial \mathbf{Q}_{bi}} = \mathbf{K}_{p} \cdot \frac{\partial \Delta \mathbf{P}}{\partial \mathbf{Q}_{bi}} + \mathbf{K}_{A} \cdot \frac{\partial \Delta \mathbf{A}}{\partial \mathbf{Q}_{bi}} - \mathbf{K}_{C} = \mathbf{0}$$
$$\mathbf{Q}_{bi} = \frac{\mathbf{Q}_{\Sigma} \cdot \mathbf{\alpha}}{\mathbf{x}_{i} - \mathbf{x}_{i-1}} \cdot \int_{\mathbf{x}_{i-1}}^{\mathbf{x}} \mathbf{F}(\mathbf{x}) \cdot \mathbf{d}\mathbf{x} - \sum_{j=i+1}^{n} \mathbf{Q}_{bj}$$

With  $\mathbf{i} = \mathbf{2} \div \mathbf{n}$  when  $\mathbf{i} = \mathbf{1}$ ;  $\sum_{j=i+1}^{n} \mathbf{Q}_{ij} = \mathbf{0}$ 

when j > n

$$Q_{b1} = \frac{Q_{\Sigma} \cdot \alpha}{X_1} \cdot \int_0^{X_1} F(x) \cdot dx - \sum_{j=2}^n Q_{bj} - \frac{\beta}{X_1}$$
$$\alpha = \frac{K_p + K_A \cdot \tau \cdot K_r}{K_p + K_A \cdot \tau} = \frac{1}{\delta}; \beta = \frac{U^2 \cdot K_c}{2 \cdot r \cdot [K_p + K_A \cdot \tau]}$$

According to the above expression, we find the value of capacitor banks for maximum savings function  $\Delta S$ .

3.3. Algorithm to determine how much and where to install capacitors to reduce power loss and power Step 1: From the diagram, the data of the system determine the length, the distance of each node in the routing wire load uniformly standardized.

Step 2: Determination of reactive power normalized F(x).

Step 3: Select a location for gathering  $x_n$ , define  $F(x_n)$ .

Step 4: Determine  $Q_{bn}$ :

$$\mathbf{Q}_{\mathrm{hn}} = \frac{\mathbf{2.F}(\mathbf{X}_{\mathrm{n}}).\mathbf{Q}_{\Sigma}}{\delta}$$

Step 5: Determine  $x_{n-1}$  to achieve optimal  $Q_{bn}$  and  $x_n$  value, this means that the target area between  $A_n$ ,  $B_n$  are equal.

Determination of the g<sub>n</sub>

$$\mathbf{F}(\mathbf{g}_{n}) = \frac{\mathbf{Q}_{bn}}{\boldsymbol{\alpha}.\mathbf{Q}_{\Sigma}}$$

- Draw lines (1) by  $g_n$  and parallel to F(x).
- Select the  $x_{n-1}$  for  $A_n = B_n$  area.

Step 6: Determine:

$$Q_{bn-1} = \frac{2.Q_{\Sigma}.F(x_{n-1})}{\delta} - 2.Q_{bn}.$$

Step 7: As Step 5,  $x_{n\mathchar`-2}$  defined as follows:

• Identify g<sub>n-1</sub>:

$$\mathbf{F}(\mathbf{g}_{n-1}) = \frac{\mathbf{Q}_{bn-1} + \mathbf{Q}_{bn}}{\alpha . \mathbf{Q}_{\Sigma}}$$

- Draw lines (2) by  $g_{n-1}$  and parallel to F(x).
- Select the x<sub>n-2</sub> for A<sub>n-1</sub> = B<sub>n-1</sub> area.

Step 8: Make turns as the above steps until the position  $x_1$ . Then determine the

$$\mathbf{Q}_{b1} = 2 \cdot \mathbf{Q}_{\Sigma} \cdot \frac{\mathbf{F}(\mathbf{x}_{1})}{\delta} - 2 \cdot \sum_{j=2}^{n} \mathbf{Q}_{bj}$$
  
Identify  $\mathbf{g}_{1}$ :  $\mathbf{F}(\mathbf{g}_{1}) = \frac{\mathbf{Q}_{b1} + \sum_{j=2}^{n} \mathbf{Q}_{bj} + \frac{\beta}{\mathbf{x}_{1}}}{\alpha \cdot \mathbf{Q}_{\Sigma}}$ 

- Drawlines (n) by  $g_1$  and parallel to F(x).
- Compare the last two areas A<sub>1</sub> and B<sub>1</sub>, will be the case as follows:
- If  $A_1 = B_1$  or misleading in a given range, the algorithm stops. The result is determined.
- If  $A_1 > B_1$ : recording step 3, choose  $x_n$  positions far more power and repeat the other steps.

• When changing the position  $x_n$  toward the last load that can not find the optimal value is:

- Choose the location  $x_n$  at the load end,  $Q_{bn}$  to change  $\qquad$  the  $\qquad$  value  $F(g_n)$  makes  $A_n$  =  $B_n$ 

- Perform to step 6.

# 4. Results

4.1. Route wires first For such systems [26]

| The<br>algorithm | Capacitor<br>placement | Storage capacitor<br>(kvar) | The total capacity<br>capacitor (kvar) | Losses after<br>compensation kW |
|------------------|------------------------|-----------------------------|--|---------------------------------|
| [2]              | 4; 7; 9                | 4050; 300; 600              | 4950                                   | 547.3                           |
| [3]              | 4; 8; 9                | 3750; 300; 600              | 4650                                   | 546.3                           |
| [22]             | 4; 5; 8; 9             | 3750; 1650; 300; 600        | 6300                                   | 587.8                           |
| [23]             | 4; 5; 9                | 3600; 1950; 750             | 6300                                   | 589.2                           |
| [24]             | 3; 4; 5; 9             | 3300; 2100; 1650; 600       | 7650                                   | 587.3                           |

| Proposed<br>algorithm | 4; 5; 9    | 2217; 802; 299        | 3318 | 524.9 |
|-----------------------|------------|-----------------------|------|-------|
| [26]                  | 4; 5; 9    | 1350;1950;450         | 3750 | 539.5 |
| [25]                  | 2; 3; 5; 9 | 3900; 3300; 2100, 600 | 9900 | 580.5 |

The results of the proposed algorithm



Position and size of the capacitor has been converted



4.2. Route wire second

For such systems [26]

| The                          | Capacitor | Storage capacitor | The total capacity | Losses after    |
|------------------------------|-----------|-------------------|--------------------|-----------------|
| algorithm                    | placement | (kvar)            | capacitor (kvar)   | compensation kW |
| [2]                          | 8; 22     | 450; 1350         | 1800               | 116.2           |
| [3]                          | 8; 22     | 450; 1200         | 1650               | 113.5           |
| [22]                         | 6; 8; 14  | 450; 450; 900     | 1800               | 111.6           |
| [23]; [25]                   | 4; 22     | 900; 900          | 1800               | 111.5           |
| [24]                         | 1; 22     | 900; 1200         | 2100               | 114.7           |
| [26]                         | 6; 14     | 600; 1200         | 1800               | 112.8           |
| <b>Proposed</b><br>algorithm | 7; 15; 22 | 646; 759; 277     | 1682               | 111.5           |

The results of the proposed algorithm

| 🏶 Bang Tong Hop  |   |
|--|---|
| KÉT QU   | Á CÁC VỊ TRÍ ĐẶT TỤ                                     |
| X1:         0.615         01:         645.591           X2:         0.9771         02:         758.567           X3:         1         03:         276.285 | $ \begin{array}{c c c c c c c c c c c c c c c c c c c $ |
| ОК   | Back Next Dong  |

Position and size of the capacitor has been converted



## 5. Conclusion

Using modern mathematical methods: Heuristic algorithms for the construction of new efficient than the current maximum profit for the installation of capacitors on radial distribution systems. The results can be summarized as follows:

- Can be used as a module heuristic algorithm for solving reactive power compensation.

- Solve the reactive power compen-

sation by increasing the value of  $\Delta S$  function simply and efficiently.

- Heuristic algorithms can suggest practical applications for the examination of the power system

Direction of future development:

- Research complete algorithm to calculate the effect of voltage, installation costs with each capacitor.

- Further research on the ability to deliver medium voltage grid.

# XÂY DỰNG GIẢI THUẬT HEURISTIC ĐỂ BÙ CÔNG SUẤT PHẢN KHÁNG ĐỐI VỚI MẠNG PHÂN PHỐI HÌNH TIA

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# TÓM TẮT

Bài báo này giới thiệu một phương pháp tìm kiếm heuristic để bù công suất phản kháng cho mạng phân phối hình tia, qua đó nhận được chi phí tiết kiệm là cực đại. Phương pháp là một kĩ thuật được thực hiện từ những khái niệm của kĩ thuật heuristic hiện tại và cho ra kết quả tốt hơn. Phương pháp được phát triển và áp dụng vào hệ thống ba pha. Kết quả của phương pháp này được so sánh với những phương pháp trước để cho thấy ưu điểm của nó. Thuật toán mới được thực hiện thông qua kĩ thuật biến đổi để thu được vị trí, dung lượng tụ bù tối ưu.

**Từ khóa:** giải thuật heuristic, bù công suất phản kháng, cực đại chi phí tiết kiệm, tối ưu dung lượng tụ bù, tối ưu vị trí tụ bù

#### REFERENCES

- [1] Ho Van Hien, *The system of electricity transmission and distribution*, The Publisher of National University Ho Chi Minh City, 2005.
- [2] T. S. Abdel Salam, A.Y. Chikhani, R Hackam, "A New Technique for Loss Reduction Using Compensating Capacitors Applied to Distribution Systems with Varying Load Condition", IEEE Trans on Power Delivery, Vol. 9, N°2, 1994, p. 819 - 827.
- [3] M. Chris, M. M. A. Salama, S. Jayaram, "Capacitor Placement in Distribution Systems Using Heuristic Search Strategies", IEE Proceedings, Generation, Transmission and Distribution, Vol.144, N<sup>o</sup>3, 1997. p. 225 - 230.
- [4] H. N. Ng, M. M. A. Salama, A. Y. Chikhani, "Classification of Capacitor Allocation Techniques", IEEE Trans on Power Delivery, Vol. 15. Nº1, Jan. 2000, p. 387 - 392.
- [5] G. A. Bortignon, M. E. El-Hawary, "A Review of Capacitor Placement Techniques for Loss Reduction in Primary Feeders on Distribution Systems", Canadian Conference on Electrical and Computer Engineering, Vol. 2, 1995, p. 684 - 687.
- [6] S. Civanlar, J. J. Grainger, H. Yin, S. S. H. Lee, "Distribution Feeder Reconfiguration for Loss Reduction", IEEE Trans. On Power Delivery, Vol.3, N° 3. July. 1988, p. 1217 - 1223.
- T. Taylor, D. Lubkeman, "Implementation of Heuristic Search Strategies for Distribution Feeder Reconfiguration", IEEE Trans.on Power Delivery, Vol. 5, Nº 1, 1990, p. 239 - 246.
- [8] G. Boone and H. D. Chiang, "Optimal placement capacitor in distribution systems by genetic algorithm," Electrical Power & Energy Systems, Vol. 15, N° 3, 1993, p. 155 – 162.
- [9] Sundhararajan S. and A. Pahwa, "Optimal selection of capacitors for radial distribution systems using a genetic algorithm," IEEE Trans. Power Systems, Vol. 9, N° 3, Aug, 1994, p. 1499-1507,
- [10] KNMiu, HDChiang, and G. Darling, "Capacitor placement, re placement and control in large scale distribution systems by a GA-based two-stage algorithm," IEEE Trans. Power Systems, Vol. 12, N<sup>o</sup> 3, Aug. 1997, p. 1160 - 1166,
- [11] C Liu and T. Dillon, "State-of-the-art of expert system applications to power systems", Electrical Power and Energy Systems, Vol. 14, Aug, N° 2, 1992, p. 86 - 92.
- [12] M. M. A. Salama, A.Y. Chikhani, "An Expert system for reactive power control of a distribution system, Part 1", IEEE Trans Power Delivery, Vol. 7, Aug, N°2, Apr. 1992, p. 940 – 945.
- [13] J.R.P.R. Laframboise, G. Ferland, M. M. A. Salama, A.Y.Chikhani, "An Expert system for reactive power control of a distribution system, Part 2," IEEE Trans Power Delivery, Vol. 10, N°3, Aug. 1995, p. 1433 - 1441.

- [14] NI Santoso and OTTan, "Neural-net based real time control of capacitor installed distribution system" IEEE Trans Power Delivery, Vol 5, Nº 1, Jan 1990, p. 266 - 272.
- [15] HCChin, "Optimal shunt capacitor allocation by fuzzy dynamic programming", Electric Power System Research, Vol. 35, 1995, p. 133 - 139.
- [16] H. N. Ng, M. M. A. Salama, A. Y. Chikhani, "Capacitor allocation by approximate Reasoning: Fuzzy capacitor placement," IEEE Trans Power systems, Sept. 1998.
- [17] M. H. Haque, "Capacitor Placement in Radial Distribution Systems for Loss Reduction", IEE Proceedings, Generation, Transmission, and Distribution, Vol. 146 Issue 5, Sept. 1999, p. 501 - 505.
- [18] Y. Baghzouz, S. Ertem, "Shunt Capacitor Sizing for Radial Distribution Feeders with Distorted Substation Voltages," IEEE Trans on Power Delivery, Vol. 5, N° 2, April, 1990, p. 650 - 657.
- [19] S. F. Mekhamer, M. E. El-'Hawary, S. A. Soliman, M. A.Moustafa, M. M. Mansour, "Fuzzy and heuristic Techniques for Reactive Power Compensation of Radial Distribution Feeders", Submitted to IEEE PES, 2002.
- [20] S. Civanlar, 1. J. Grainger, "VolWar Control on Distribution Systems with Lateral Branches using shunt Capacitors and Voltage Regulators; Part I: The Overall Problem, Part 11: The Solution Method. Part ILI: The Numerical Result." IEEE Trans. on Power Apparatus and Systems, Vol. PAS-104, N°11, Nov. 1985, p. 3278 - 3297.
- [21] M. M. A. Salama. A.Y. Chikhani, "A simplified Network Approach to the VAR Control Problem for Radial Distribution Systems", IEEE Trans on Power Delivery, Vol. 8, N<sup>o</sup>. 3, 1993, p. 1529 - 1535.
- [22] S. F. Mekhamer, M. E. El-'Hawary, S. A. Soliman, M. A.Moustafa, M. M. Mansour, "New Heuristic Strategies for Reactive Power Compensation of Radial Distribution Feeders", Submitted to IEEE PES, 2001.
- [23] H. Chin, W. Lin, "Capacitor Placement for Distribution Systems with Fuzzy Algorithm", Proceedings of 1994 IEEE Region 10's Ninth Annual International Conference, Vol. 2, p.1025 - 1029.
- [24] C. Su, C. Tsai, "A New Fuzzy-Reasoning Approach to Optimum Capacitor Allocation for Primary Distribution Systems", Proceedings of the IEEE International Conference on Industrial Technology, 1996, p. 237-241.
- [25] H. N. Ng, M. M. A. Salama, A.Y. Chikhani, "Capacitor Placement in Distribution Systems Using Fuzzy Technique", Canadian Conference on Electrical and Computer Engineering, 1996, Vol. 12, p. 790 - 793.
- [26] S. F. Mekhamer, M. E. El-'Hawary, S. A. Soliman, M. A.Moustafa, M. M. Mansour, "Reactive power compensation of radial distribution feeders: A new approach", Submitted to IEEE PES.